

potential of an \_\_\_\_\_, irrotational, ideal fluid with continuously distributed sources.  
incompressible

[MTH382] The equation  $(1-x^2)\frac{d^2y}{dx^2}-2x\frac{dy}{dx}+n(n+1)y=0$  is called \_\_\_\_\_ equation  
Legendary

[MTH382]  $(\frac{\partial^2\theta}{\partial x^2}+\lambda\frac{\partial\theta}{\partial t})+\mu\frac{\partial\theta}{\partial t}$  is on dimensional specialization form of partial differential form called \_\_\_\_\_  
telegraphic equation

[MTH382] In the specialized equation  $(\Delta^2\theta+f=\lambda\frac{d^2\theta}{dt^2}+\mu\frac{d\theta}{dt})$ ,  $(\Delta^2)$  is the \_\_\_\_\_ operator  
Laplacian

[MTH382] If  $(R(c-a-b)>0)$  and if  $(c)$  is neither zero nor a negative integer \_\_\_\_\_  
 $({}_2F_1(a,b,c,1)=\frac{r(c)r(c-a-b)}{r(c-a)r(c-b)})$

[MTH382] The equation  $(x^2\frac{d^2y}{dx^2}+x\frac{dy}{dx}+(x^2-v^2)y=0)$  is called \_\_\_\_\_  
Bessels equation of index  $(v)$

[MTH382] A function  $(f)$  is said to be periodic with period  $(T)$  if the domain of  $(f)$  contains \_\_\_\_\_ wherever it contains  $x$  and  $y$ .  
 $(x+T)$

[MTH382] Wave equation  $(\Delta^2\theta=\frac{1}{c}\frac{\partial^2\theta}{\partial t^2})$  arises in the study of propagation of waves with velocity  $\hat{A}\hat{\square}\hat{\in}\hat{\square}$ , \_\_\_\_\_ of the wave length.  
independent

[MTH382] The legend differential equation of \_\_\_\_\_ is given  $((1-x^2)\frac{d^2y}{dx^2}-2x\frac{dy}{dx}+\frac{dy}{dx}+p(p+1)y=0)$   
order  $n$

[MTH382] The equation of heat conduction  $(\Delta^2\theta=\frac{1}{d^2}\frac{\partial\theta}{\partial t})$  is satisfied by the \_\_\_\_\_ at a point of a homogeneous body and by the concentration of a diffused substance in the theory of diffusion with suitable presented constant  $(\theta)$ .  
temperature